Relevant linear dimensions

Life operates on all scales from the sub-nanometer molecules to organisms. The range of these length scales is well illustrated in this graph:

source: Physical Biology of the Cell

Understanding the relevant length scales is crucial for understanding many biological processes and getting a sense of why things are fast, slow etc.

```
size of water molecules: 2.45e-10m
        size of RNA virus: 1e-07m
In [1]:
         # Note that these numbers are rough estimates and often are only represe
         # values picked from a range. They are intended to give you a sense of t# relative sizes but are not an authorative source.
         linear dimensions = \{ # in meters
             "H2O": 2.45e-10,
             "dsDNA base pair height": 3.4e-10,
             "glucose": 9e-10,
             "dsDNA diameter": 2e-9,
             "membrane thickness": 3e-9,
             "ribosome": 2.5e-8,
             "RNA virus": 1e-7,
             "wave length of visible light": 5e-7,
             "bacterium": 1e-6,
             "budding yeast": 5e-6,
             "mammalian cell": 1e-5,
             "human ooctyte": 1e-4,
             "fruit fly egg": 5e-4,
             "chicken egg":5e-2,
             "human": 1.8,
             "blue whale": 25
         }
         print(f"size of water molecules: {linear dimensions['H2O']}m")
         print(f"size of RNA virus: {linear dimensions['RNA virus']}m")
```
The data structure above is called a "dictionary" as it associates values (numbers measured in meters) to keys. These values can be accessed as linear dimensions['H2O'].

Let's graph these numbers. We can do this with the plotting library matplotlib. After the import, the plotting commands are available under the name plt .

```
['H2O', 'dsDNA base pair height', 'glucose', 'dsDNA diameter', 'membrane 
        thickness', 'ribosome', 'RNA virus', 'wave length of visible light', 'bac
        terium', 'budding yeast', 'mammalian cell', 'human ooctyte', 'fruit fly e
In [2]:
         import matplotlib.pyplot as plt
In [3]:
         names = list(linear dimensions.keys()) # make a list of the names
         sizes = [linear dimensions[k] for k in names] # make a list of the value
         print(names)
         plt.plot(sizes, 'o') # the 'o' here indicates that we use a circle marker
         plt.xticks(range(len(names)), names, rotation=30, ha='right') # label the
         plt.ylabel('size [m]') # label the y-axis
```
gg', 'chicken egg', 'human', 'blue whale']

 $_{\mathsf{Out[3]}}$: Text(0, 0.5, 'size [m]')

As you see, we don't see much. Only for whale and the human it is visible that the values are non-zero. This is not surprising, we are plotting quantities on vastly different scales. To get a better sense of the relative magnitude of points in our data, it is useful to look at these data on a logarithmic scale:

In [4]:

Now the differences between all data points are clearly visible. One a logarithmic scale, fold changes are additive. Thas it 10 is as far from 1 and 100 is from 10. This fact is a consequence of the fundamental property of logarithms:

$$
\log(xy) = \log(x) + \log(y)
$$

Dig deeper

- plot these the size of things in units of the length of a water molecule H_2O and the width of your thumb. These might not be very useful units, but they are perfectly valid.
- plot the logarithm of the sizes instead of the sizes on a logarithmic scale. What happened to the unit?

Additional resources

- video lesson on logarithmic scales by the [Khan academy](https://www.youtube.com/watch?v=sBhEi4L91Sg)
- [Biology by the Numbers](https://www.dropbox.com/s/gvpleqtcv8scro4/cellBiologyByTheNumbersJuly2015.pdf?dl=1) by Milo and Phillips, Chapter 1

In []: